

MATH TEST-TAKING STRATEGIES PRACTICE PACKET



- * Quadratic Equations
- * Factoring Polynomials
- * Write the Equation of a Line Given Two Points
- * Converting to Slope-Intercept Form
- * Graphing Slope Intercept Form
- * Multiple Choice Strategies
- * Parallel & Perpendicular Equations

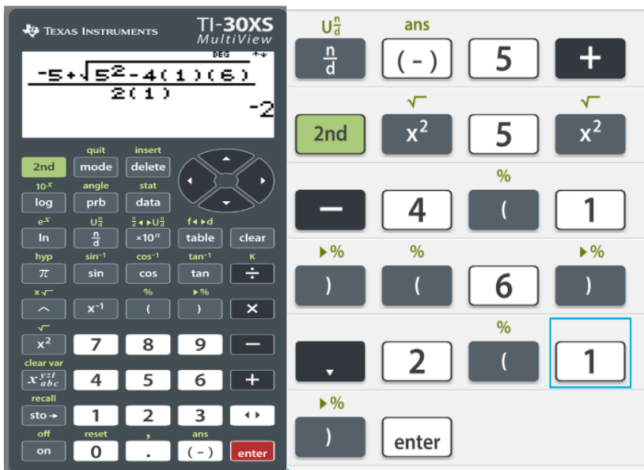


QUADRATIC EQUATIONS: USING THE CALCULATOR: $x^2 + 5x + 6 = 0$

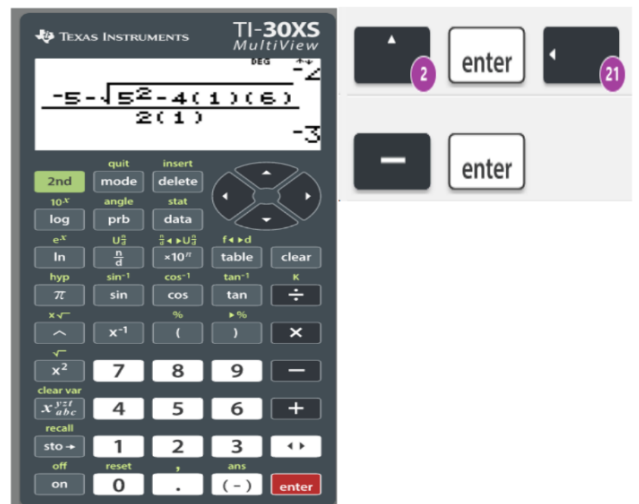
$$ax^2 + bx + c = 0 \quad \rightarrow \quad 1x^2 + 5x + 6 = 0 \quad \rightarrow \quad x = -2, -3$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \quad \rightarrow \quad x = \frac{-5 \pm \sqrt{5^2 - 4(1)(6)}}{2(1)}$$

x = -2



x = -3



$$ax^2 + bx + c = 0$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$x^2 + 5x + 6 = 0$$

$$x^2 + 11x + 18 = 0$$

$$x^2 - 3x - 28 = 0$$

$$x^2 - 2x - 15 = 0$$

$$2x^2 - 9x - 17 = 64$$

$$x^2 + 6x + 4 = -1$$

$$x^2 + 10x = -16$$

$$4x^2 + 2x - 6 = 24$$

$$2x^2 + 13x - 6 = 1$$

$$2x^2 - 8x = 10$$

$$x^2 - 2x - 2 = 22$$

$$x^2 + 13x + 32 = -8$$

FACTORIZING POLYNOMIALS USING THE CALCULATOR

<p>Quadratic Equation</p> $n^2 + 4n - 12 = 0$ $n = 2, -6$	<p>Factoring Trinomial</p> $n^2 + 4n - 12$ $(n - 2)(n + 6)$
<p>Quadratic Equation</p> $3p^2 - 2p - 5 = 0$ $x = 5/3, -1$	<p>Factoring Trinomial</p> $3p^2 - 2p - 5$ $(3p - 5)(p + 1)$

$$\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Step 1: Set up the two sets of parentheses and place the variable in each one.

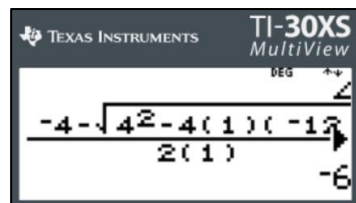
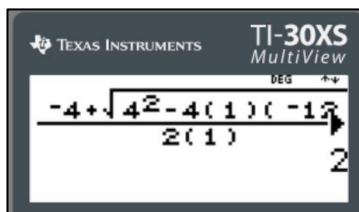
$$n^2 + 4n - 12$$

$$(\quad n \quad) (\quad n \quad)$$

Step 2: Label the, b, and c (just like you would in a quadratic equation)

a	b	c
	$n^2 + 4n - 12$	
(n) (
	n)

Step 3: proceed to solve like a quadratic equation by using the quadratic formula.



Step 4: Whatever answer the calculator gives you, write opposite inside the parentheses.

a	b	c
	$n^2 + 4n - 12$	
(n - 2) (
	n + 6)

$$n^2 + 4n - 12$$

$$k^2 - 13k + 40$$

$$p^2 + 3p - 18$$

$$n^2 - n - 56$$

$$6x^2 + 37x + 6$$

$$3p^2 - 2p - 5$$

$$2v^2 + 11v + 5$$

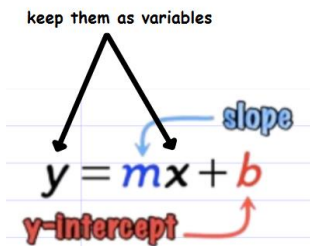
$$7a^2 + 53a + 28$$

$$6x^2 + 7x - 49$$

WRITING AN EQUATION OF A LINE GIVEN TWO POINTS

USING THE CALCULATOR

(2, 8) and (1, 3)

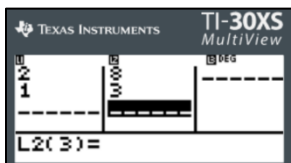


$$y = 5x - 2$$

Step 1: Label your coordinates.

(x1, y1)	(x2, y2)
(2, 8)	(1, 3)

Step 2: Press the Data button and place the X numbers in the first column and the Y numbers in the second column.



Step 3: Press the 2nd button and then the data button. Scroll down and select the “2: 2-variable stats” then press Enter.



Step 4: Scroll down to Calculate and press Enter.



Step 5: Scroll down to letters “D” and “E”



Step 6: Write your equation of a line in slope intercept form, the “D” number is the slope. The “E” number is the y-intercept.

$$y = 5x - 2$$

$(2, 8)$ and $(1, 3)$

$(0, -8)$ and $(-1, -1)$

$(-1, 0)$ and $(4, -5)$

$(9, -1)$ and $(-3, 7)$

$(-3, 5)$ and $(6, -7)$

$(-5, -6)$ and $(5, -3)$

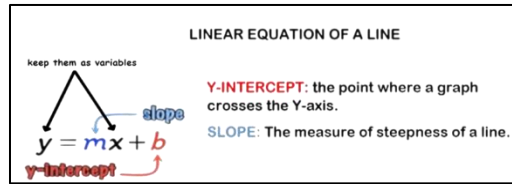
$(3, 0)$ and $(-4, -7)$

$(-2, 9)$ and $(-7, 8)$

$(-7, -4)$ and $(-5, -6)$

CONVERT EQUATIONS OF A LINE SLOPE INTERCEPT FORM, MINIMAL CALCULATOR USE

$$3y - 15 = -6x$$



$$y = -2x + 5$$

EXAMPLE 1

Step 1: Draw a line to represent the "street" and identify which side the y-variable is on. Use inverse operations to move any **other** term from that side to the other side of the equation. This could be the term without the x-variable or the term with the x-variable. In this example, it's the term without the x-variable.

$$\begin{array}{r} 3y - 15 = -6x + 15 \\ +15 \quad | \\ \hline 3y = -6x + 15 \end{array}$$

Step 2: If there is a coefficient (number) in front of the y-variable, divide all terms—both the y-term, the x-term, and the constant—by that number.

$$\begin{array}{r} 3y - 15 = -6x + 15 \\ +15 \quad | \\ \hline 3y + \frac{-6x}{3} + \frac{15}{3} \\ \hline y = -2x + 5 \end{array}$$

slope
y intercept

Step 3: If necessary, rearrange the equation into slope-intercept form. (Note: In this example, rearrangement was not needed.)

$$y = -2x + 5$$

EXAMPLE 2

Step 1: Draw a line to represent the "street" and identify which side the y-variable is on. Use inverse operations to move any **other** term from that side to the other side of the equation. This could be the term without the x-variable or the term with the x-variable. In this example, it's the term without the x-variable.

$$\begin{array}{r} 7x = -5y + 30 \\ \underline{-30} \\ 7x - 30 = -5y \end{array}$$

Step 2: If there is a coefficient (number) in front of the y-variable, divide all terms—both the y-term, the x-term, and the constant—by that number.

$$\begin{array}{r} 7x = -5y + 30 \\ \underline{-30} \\ 7x - 30 = -5y \\ \underline{-5} \quad \underline{-5} \quad \underline{-5} \\ -\frac{7}{5}x + 6 = y \end{array}$$

slope \swarrow \searrow y-intercept

Step 3: Rearrange the equation into slope-intercept form.

$$y = -\frac{7}{5}x + 6$$

PRACTICE:

$3y - 15 = -6x$

$7x = -5y + 30$

$2y - 6 = -6x$

$-14x + y = 7$

EXAMPLE 3

Step 1: Draw a line to represent the "street" and identify which side the y-variable is on. Use inverse operations to move any **other** term from that side to the other side of the equation. This could be the term without the x-variable or the term with the x-variable. In this example, the y-variable is already isolated, nothing needs to move over.

$$9x + 35 = -5y$$

Step 2: If there is a coefficient (number) in front of the y-variable, divide all terms—both the y-term, the x-term, and the constant—by that number.

The image shows the equation $9x + 35 = -5y$ with a vertical line drawn after the equals sign. Below the line, the terms are divided by -5: $\frac{9x}{-5} + \frac{35}{-5} = \frac{-5y}{-5}$. This simplifies to $-\frac{9}{5}x - 7 = y$. The coefficient $-\frac{9}{5}$ is boxed in red and labeled "slope" with an arrow. The constant -7 is boxed in blue and labeled "y-intercept".

Step 3: Rearrange the equation into slope-intercept form.

$$y = -\frac{9}{5}x - 7$$

PRACTICE:

$$9x + 35 = -5y$$

$$-3x - 2 = 2y$$

$$\frac{5}{3}y = -(x - 5)$$

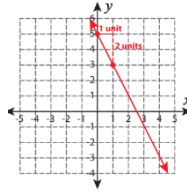
$$-2(2x + y) = 28$$

$$12y = \frac{8x - 48}{3}$$

$$\frac{3(x - y)}{2} = 9$$

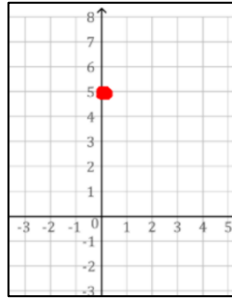
GRAPHING EQUATIONS OF A LINE SLOPE INTERCEPT FORM

$$3y - 15 = -6x \Rightarrow y = -2x + 5 \Rightarrow$$



Step 1: Identify the y-intercept (in this example, its 5) and place a point at that value on the y-axis.

$$y = -2x + 5 \Rightarrow$$

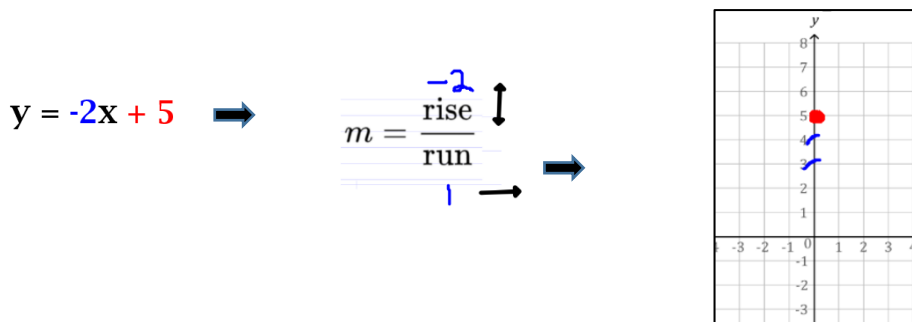


Step 2: If the slope (the number next to x) is not a fraction, rewrite it as a fraction with a denominator of 1. This gives you your rise (numerator) and run (denominator).

$$y = -2x + 5 \Rightarrow m = \frac{\text{rise}}{\text{run}} = \frac{-2}{1}$$

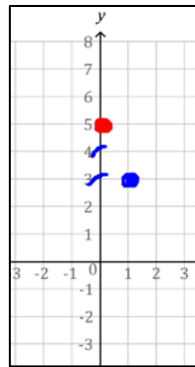
↑
↓
→

Step 3: Starting from the y-intercept (5), follow the rise by moving up if the numerator is positive or down if it's negative. In this example, the numerator is -2, so move down 2 units.



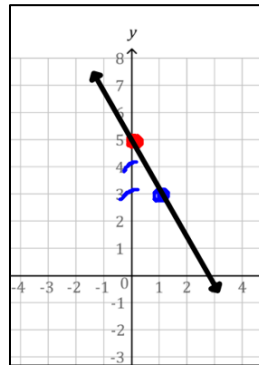
Step 4: From the new point, follow the run by moving to the right based on the denominator. In this example, the denominator is 1, so move to the right 1 unit and place a point.

$$y = -2x + 5 \Rightarrow m = \frac{\overset{-2}{\text{rise}}}{\text{run}} \Rightarrow$$



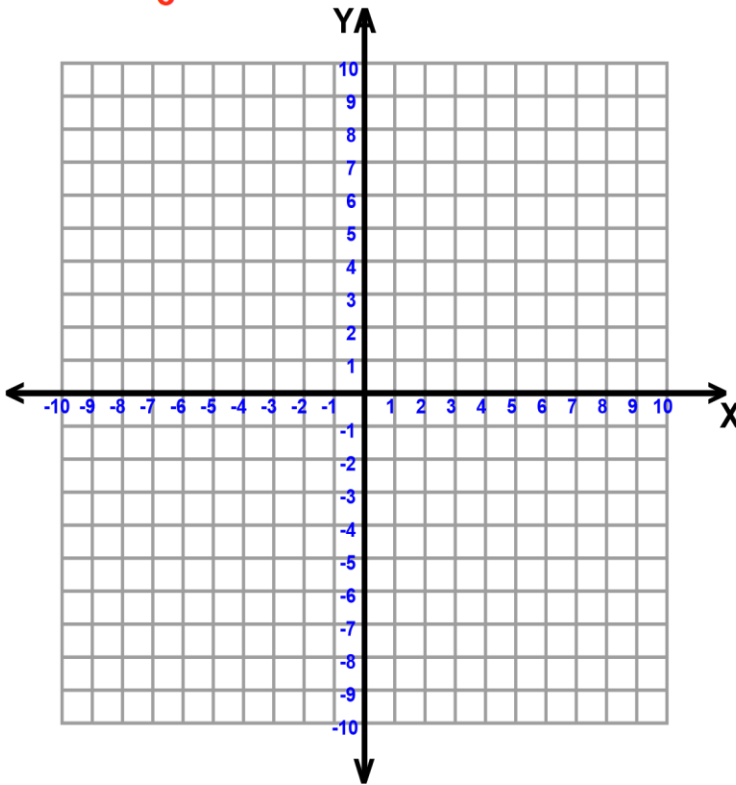
Step 5: Connect the points to form a straight line.

$$y = -2x + 5 \Rightarrow m = \frac{\overset{-2}{\text{rise}}}{\text{run}} \Rightarrow$$



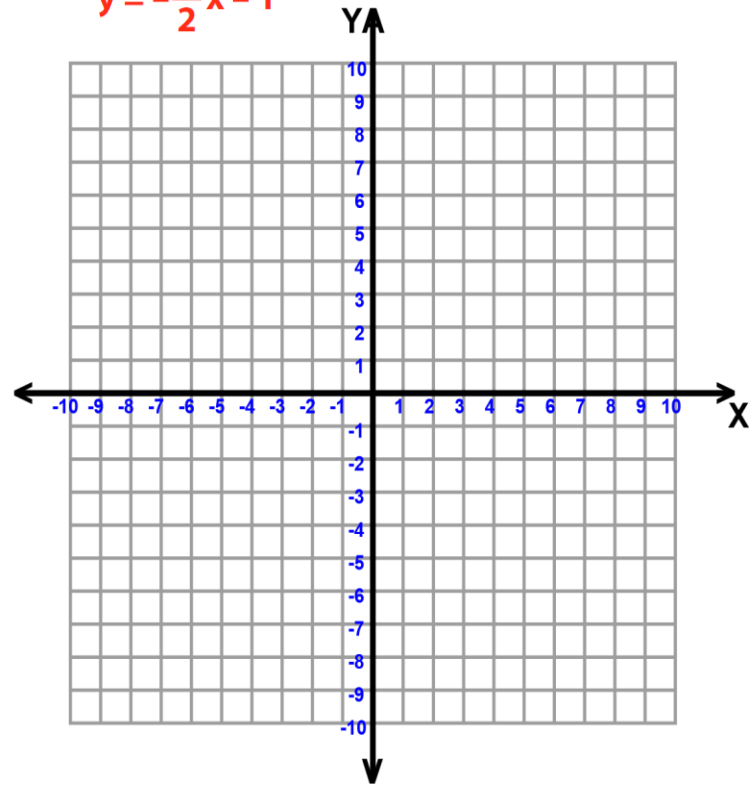
$$-5x + 6y = 12$$

$$y = \frac{5}{6}x + 2$$



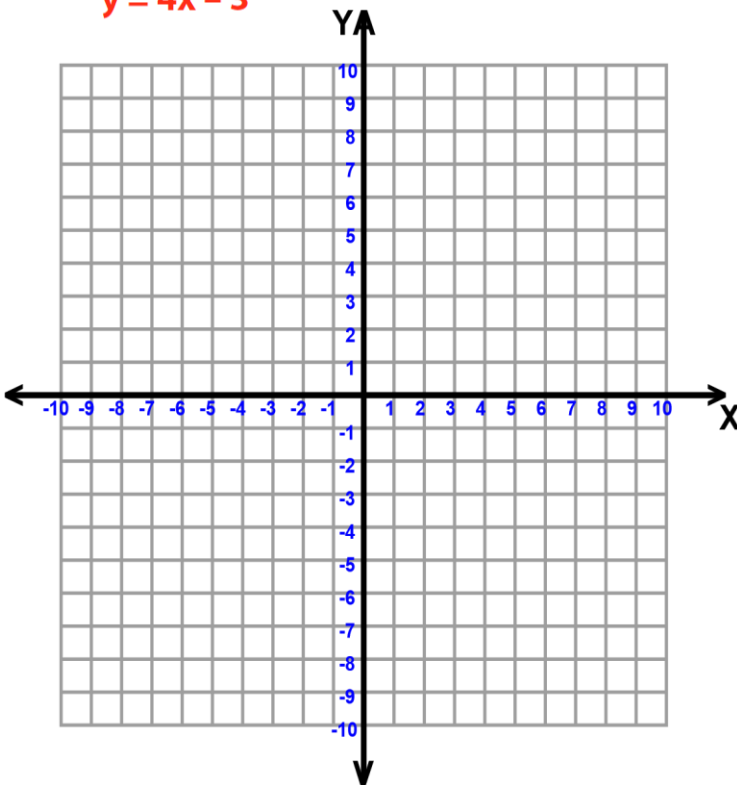
$$-3x - 2 = 2y$$

$$y = -\frac{3}{2}x - 1$$



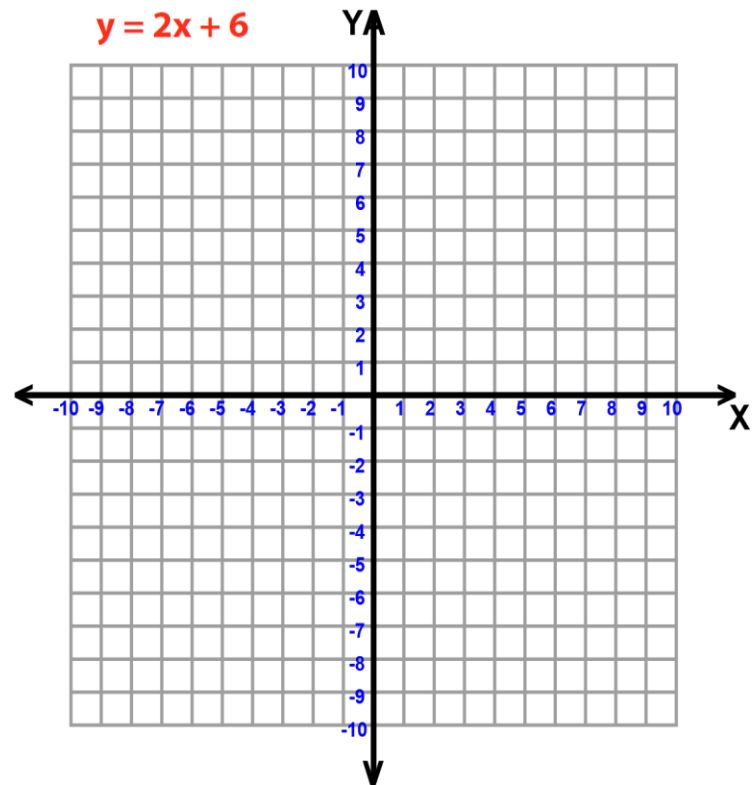
$$-y = -4x + 3$$

$$y = 4x - 3$$



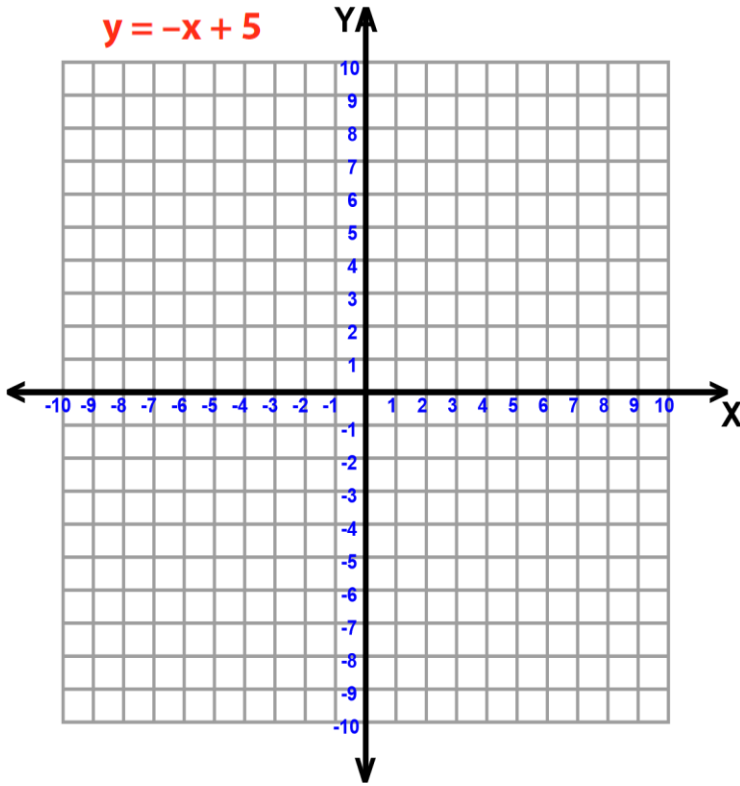
$$24 = 4y - 8x$$

$$y = 2x + 6$$



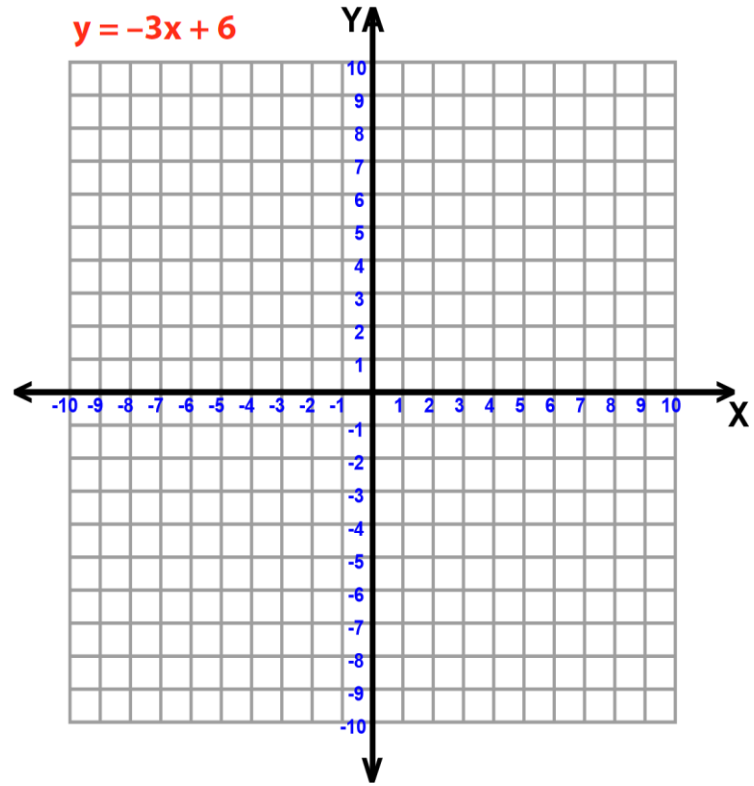
$$x - 5 = -y$$

$$y = -x + 5$$



$$12 = 2y + 6x$$

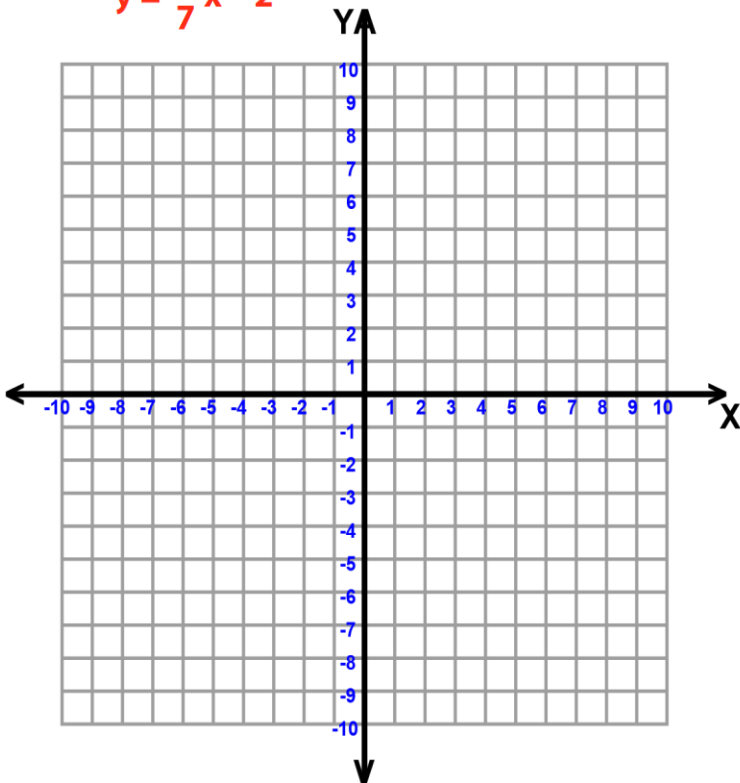
$$y = -3x + 6$$



Graph

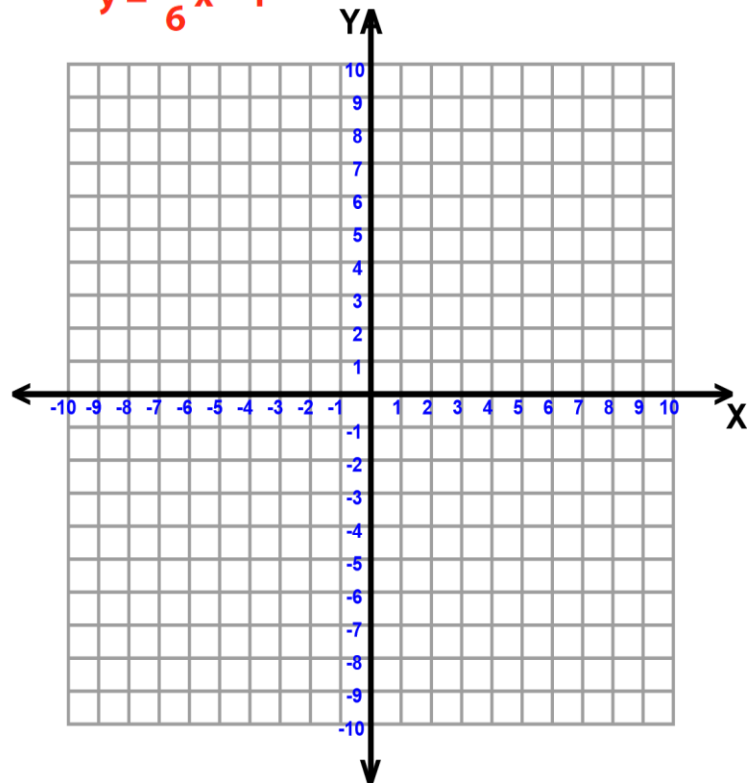
$$7y = 2x - 14$$

$$y = \frac{2}{7}x - 2$$



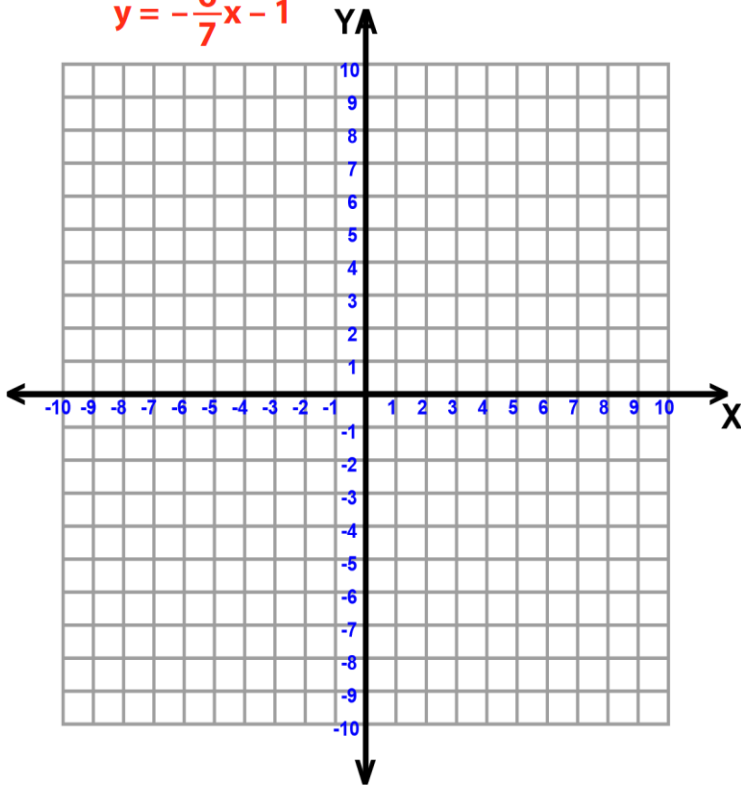
$$6y + 6 = x$$

$$y = \frac{1}{6}x - 1$$



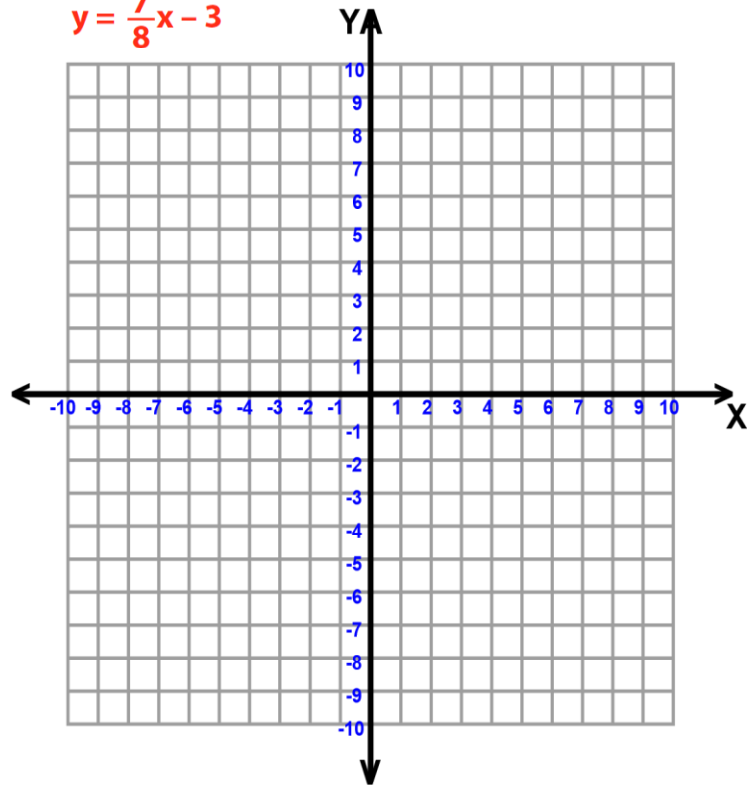
$$6x = -7y - 7$$

$$y = -\frac{6}{7}x - 1$$



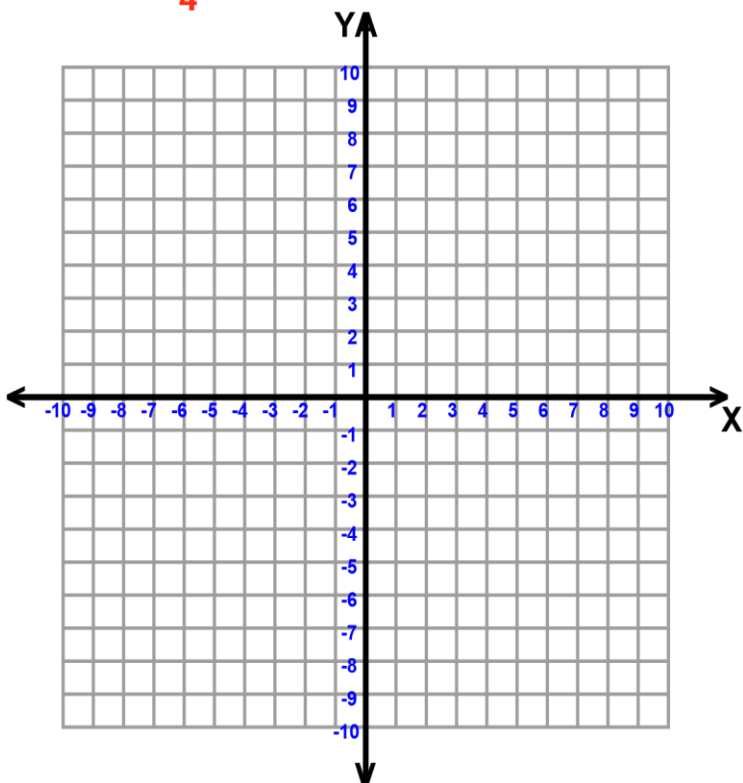
$$-8y - 24 = -7x$$

$$y = \frac{7}{8}x - 3$$



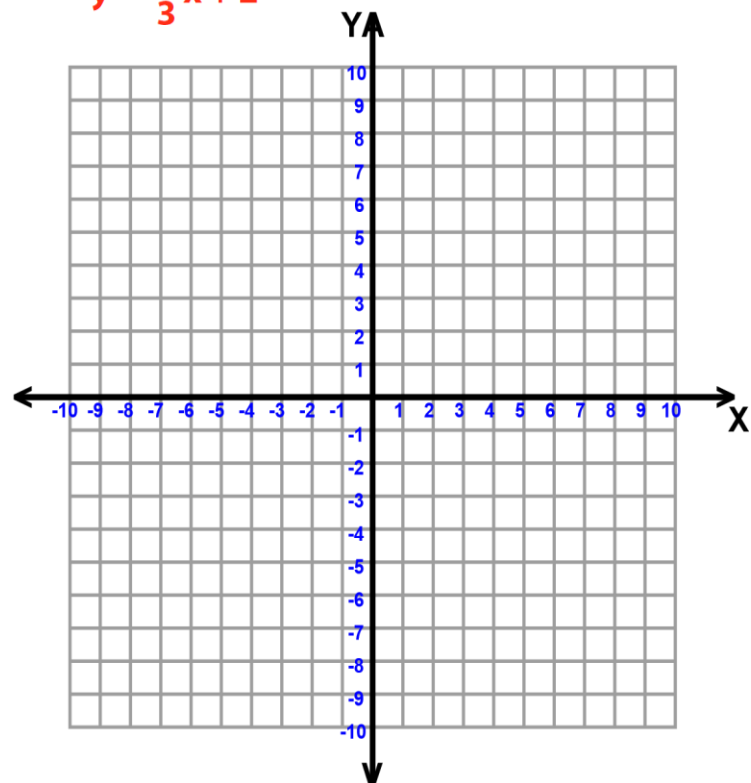
$$-4y = 3x + 8$$

$$y = -\frac{3}{4}x - 2$$



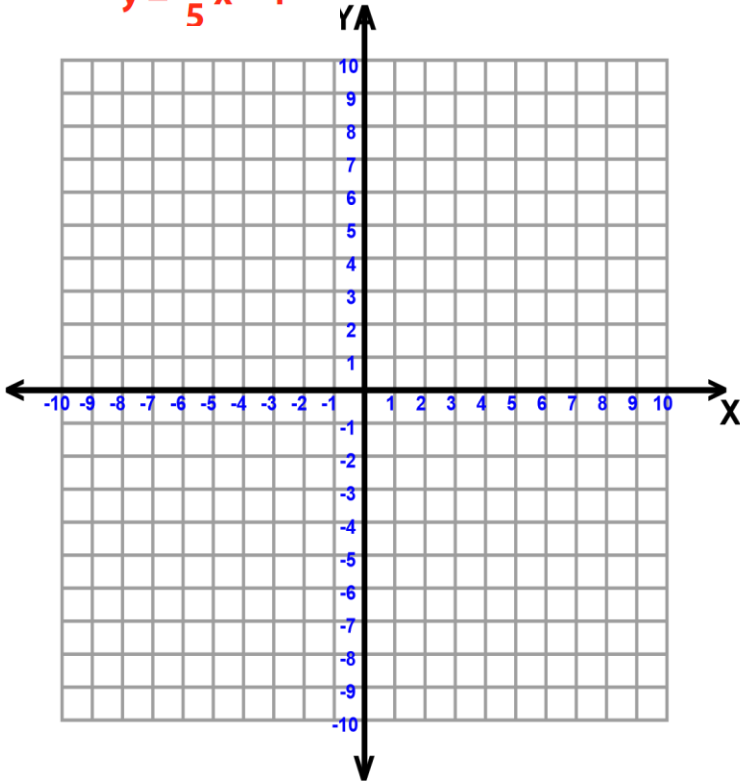
$$2x - 3y = -6$$

$$y = \frac{2}{3}x + 2$$



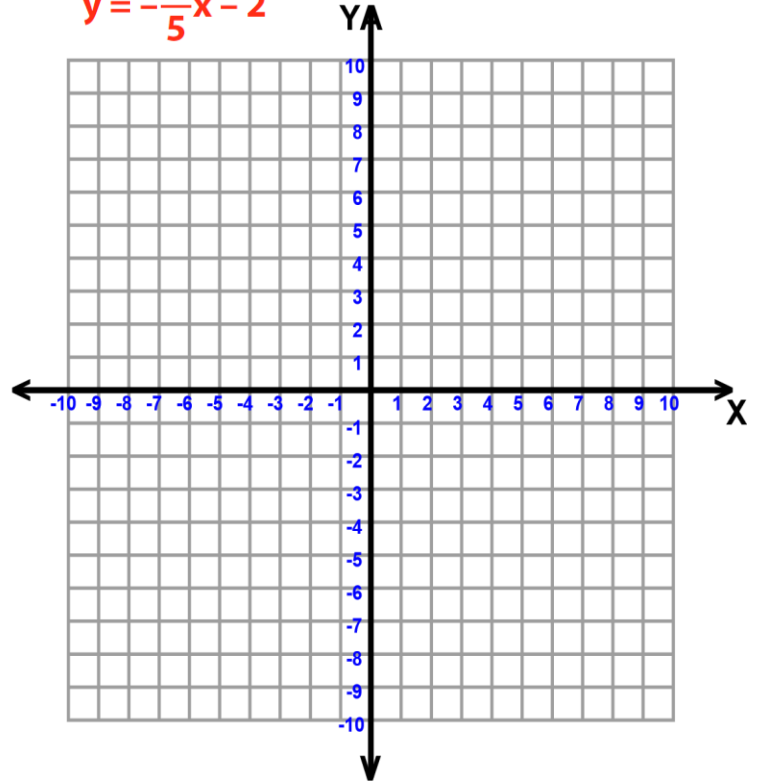
$$-20 = -4x + 5y$$

$$y = \frac{4}{5}x - 4$$



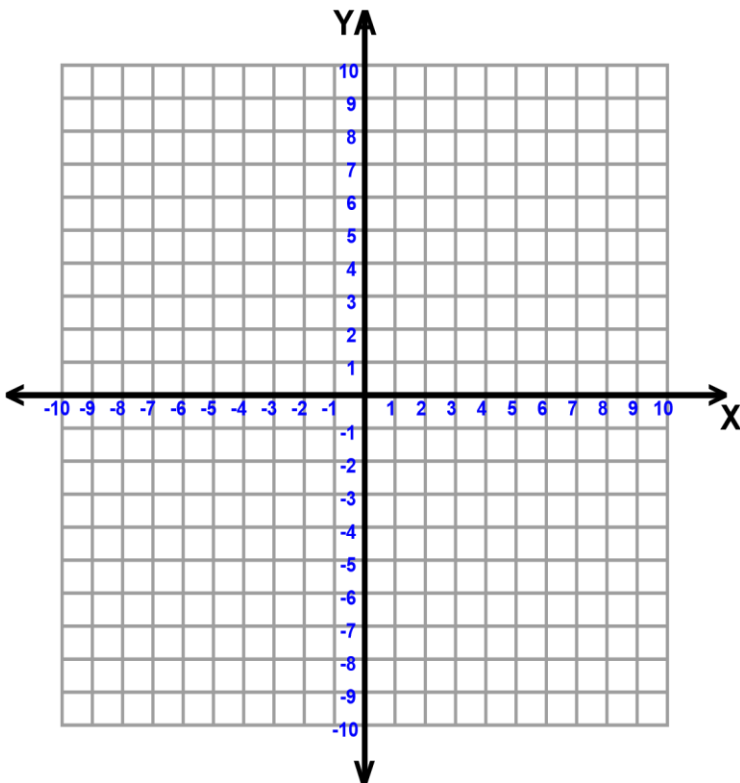
$$-10 = 6x + 5y$$

$$y = -\frac{6}{5}x - 2$$



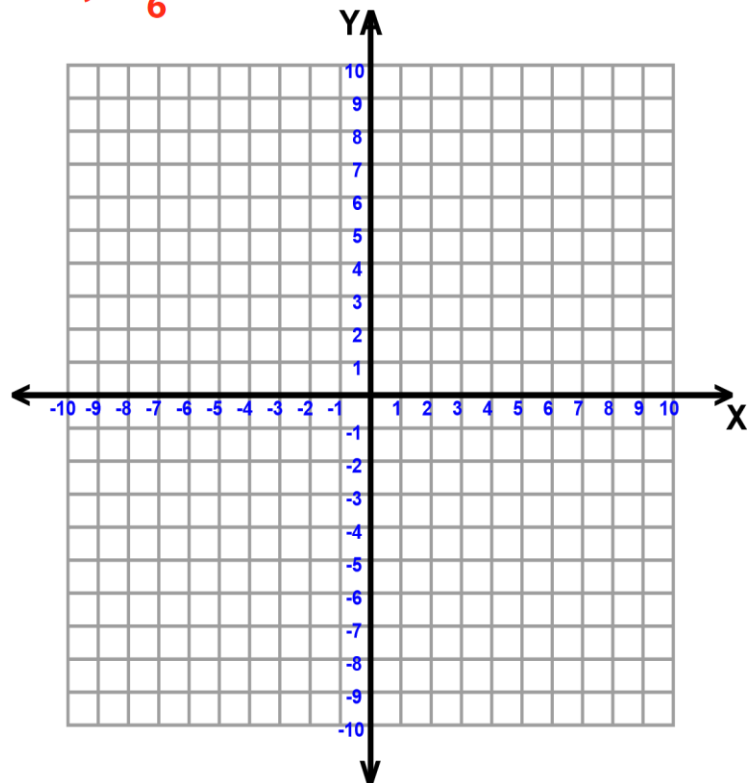
$$7x = -5y + 30$$

$$y = -\frac{7}{5}x + 6$$



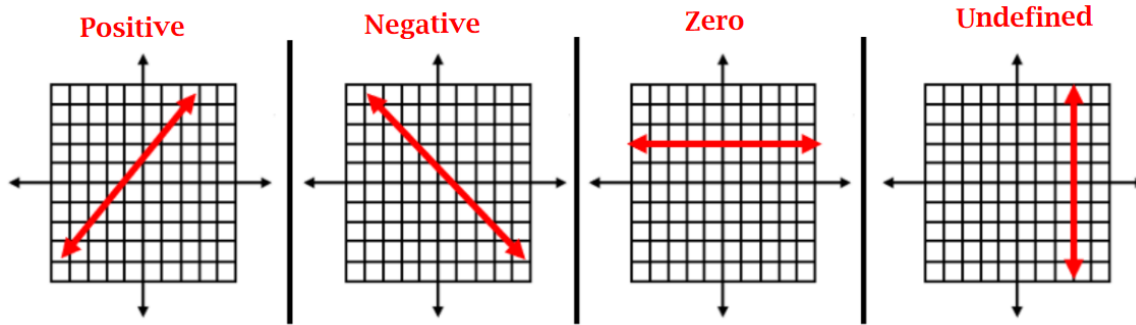
$$-6y + 12 = -5x$$

$$y = \frac{5}{6}x + 2$$



GRAPHING MULTIPLE CHOICE STRATEGIES: SAVE TIME!

*On the GED Math Exam, test-takers won't need to draw the graph of a line themselves. Instead, they will be given multiple-choice options and must choose the graph that matches the given equation. If a test-taker understands how to manually graph a line, these three simple strategies can help save time when evaluating the answer choices.

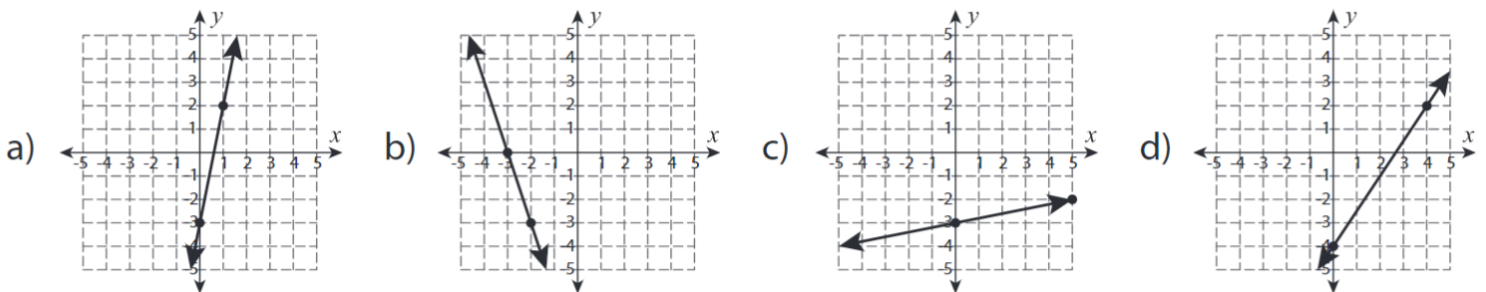


Strategy 1: Determine if the slope is positive or negative. Cross off any that do not meet the criteria.

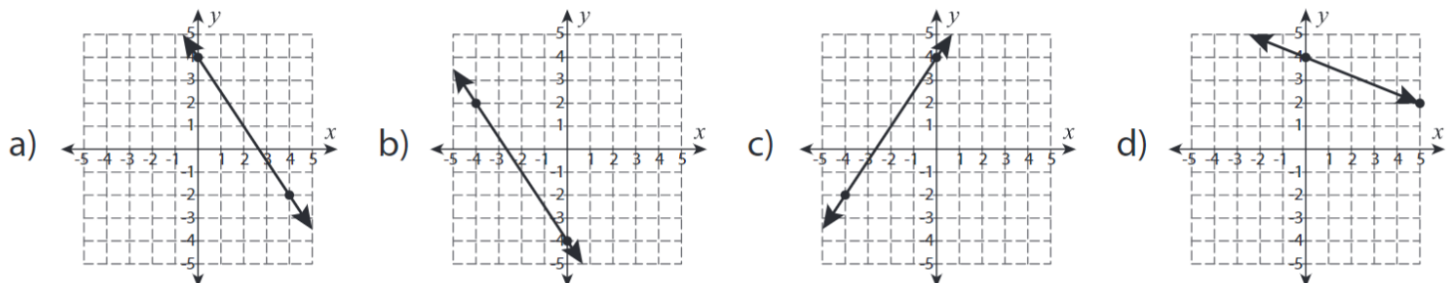
Strategy 2: Determine the slope number and identify that point on the y-axis. Cross off any that do not meet the criteria.

Strategy 3: If two or more options remain, do the rise/run to determine which line matches the second point.

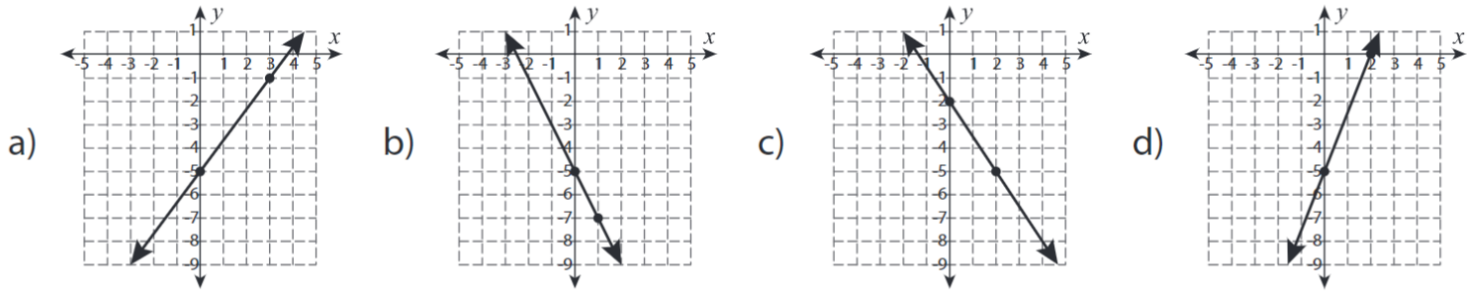
Which of the following graph represents the equation $y = 5x - 3$?



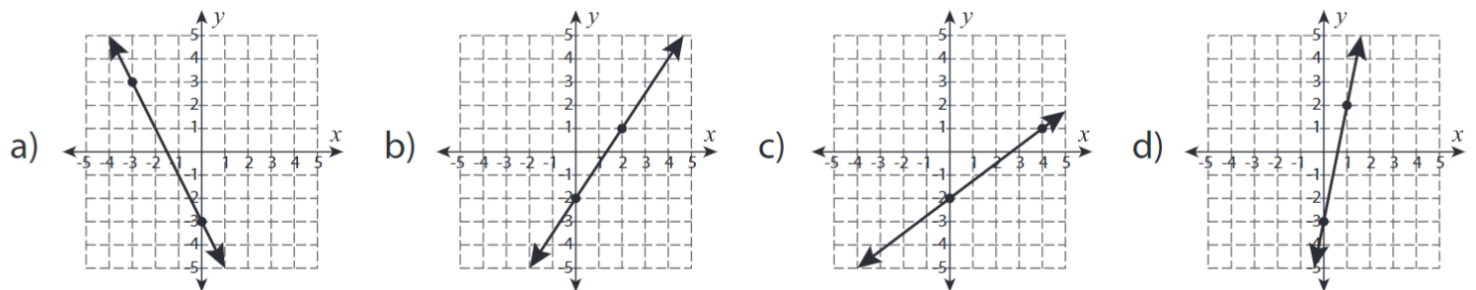
Which of the following graph represents the equation $y = -\frac{2}{5}x + 4$?



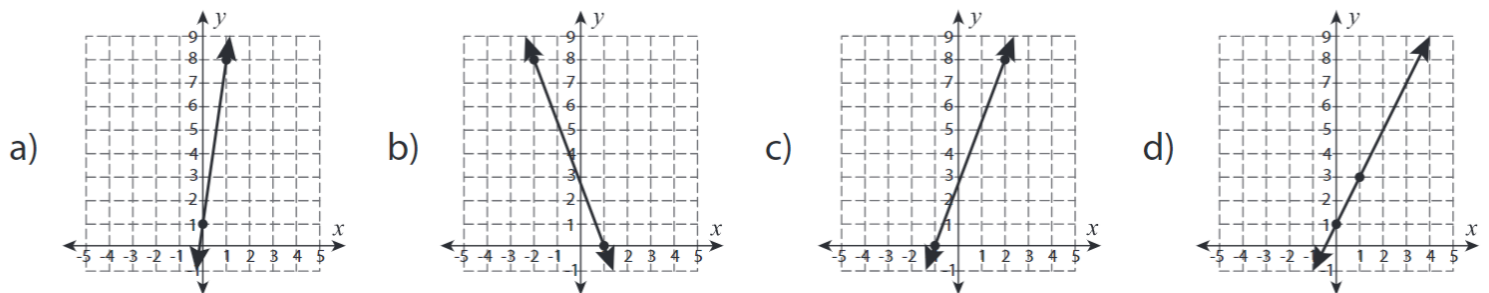
Which of the following graph represents the equation $y = -2x - 5$?



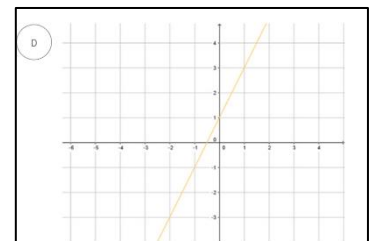
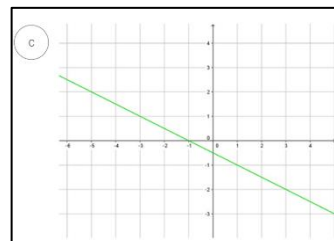
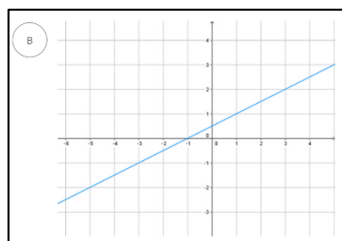
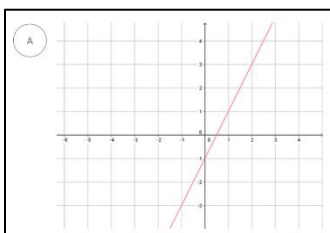
Which of the following graph represents the equation $y = \frac{3}{4}x - 2$?



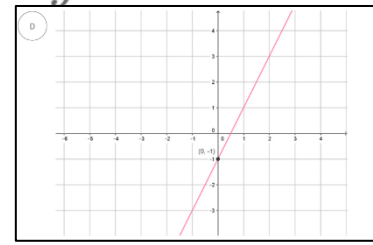
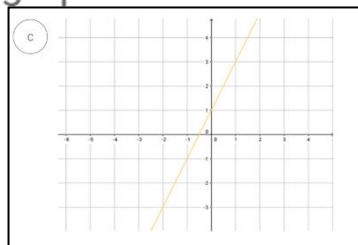
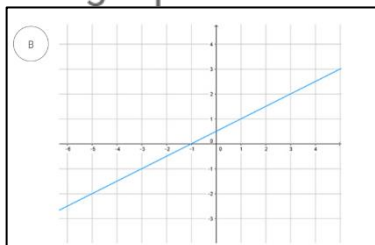
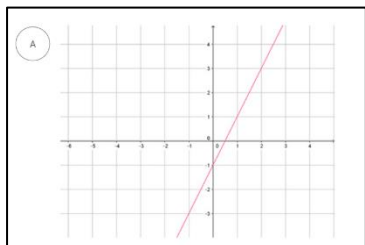
Which of the following graph represents the equation $y = 7x + 1$?



Which of the following represents the graph of the line $x - 2y = -1$?

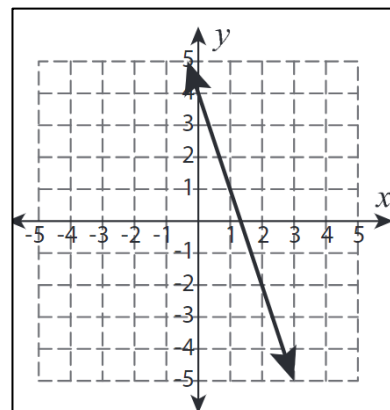


Which of the following represents the graph of the line $2x - y = -1$?



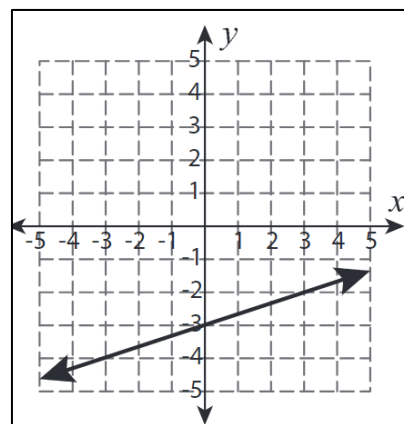
Which of the following equation represents the line on the graph?

- a) $y = x + 4$ b) $y = 2x - 4$ c) $y = -3x + 4$



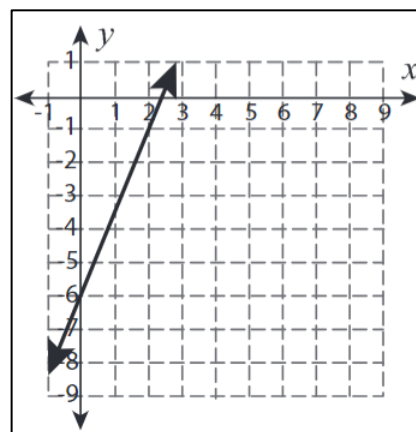
Which of the following equation represents the line on the graph?

- a) $y = -2x + 3$ b) $y = \frac{1}{3}x - 3$ c) $y = \frac{1}{4}x + 3$



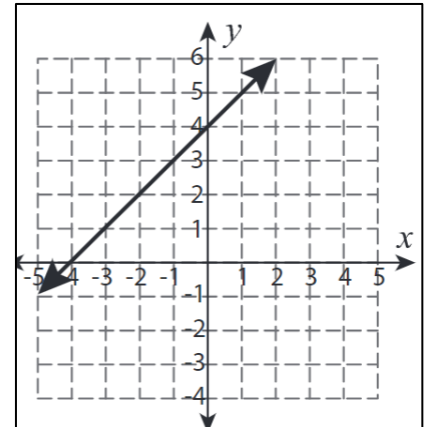
Which of the following equation represents the line on the graph?

- a) $y = 3x - 6$ b) $y = \frac{5}{2}x - 6$ c) $y = -\frac{1}{2}x - 6$



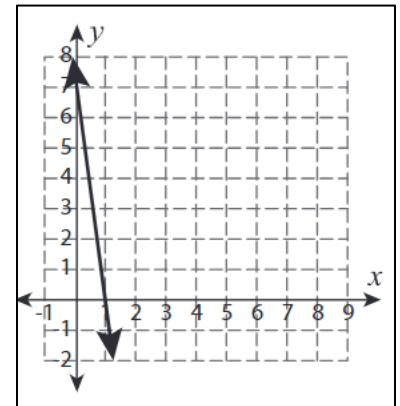
Which of the following equation represents the line on the graph?

- a) $y = x + 4$ b) $y = 5x - 4$ c) $y = -4x + 4$



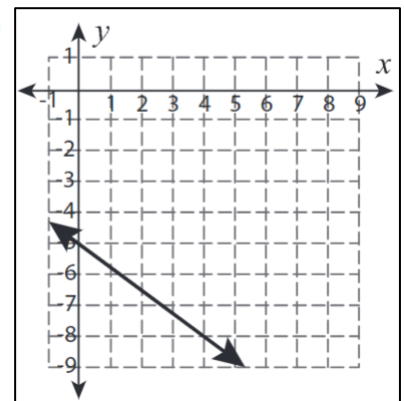
Which of the following equation represents the line on the graph?

- a) $y = -7x + 7$ b) $y = 8x - 7$ c) $y = 4x + 7$



Which of the following equation represents the line on the graph?

- a) $y = 6x + 5$ b) $y = \frac{5}{4}x + 5$ c) $y = -\frac{3}{4}x - 5$



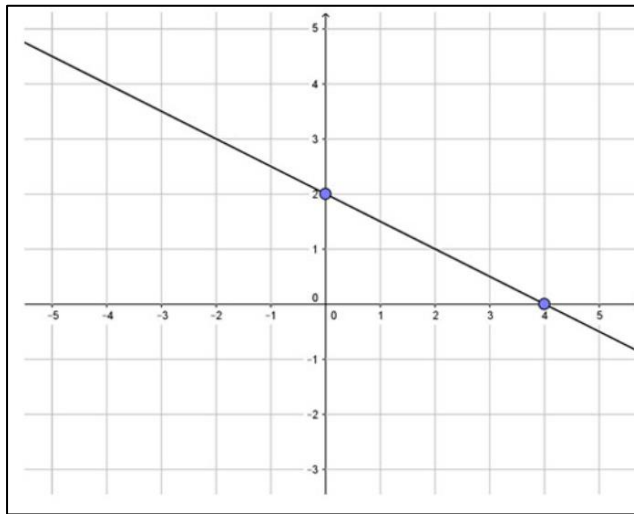
Which of the following equations represents the graph given?

A $x + 2y = 4$

B $2x + y = 4$

C $x + y = 2$

D $2x + 2y = 4$



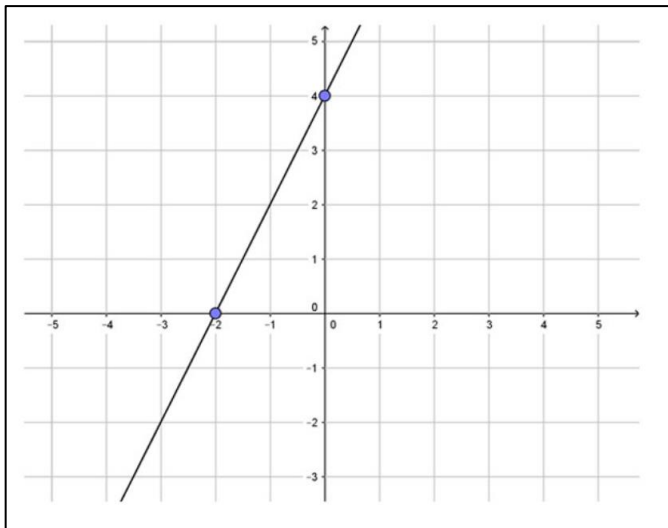
Which of the following equations represents the graph given?

A $x - 2y = 4$

B $2x - y = 4$

C $x - 2y = -4$

D $2x - y = -4$



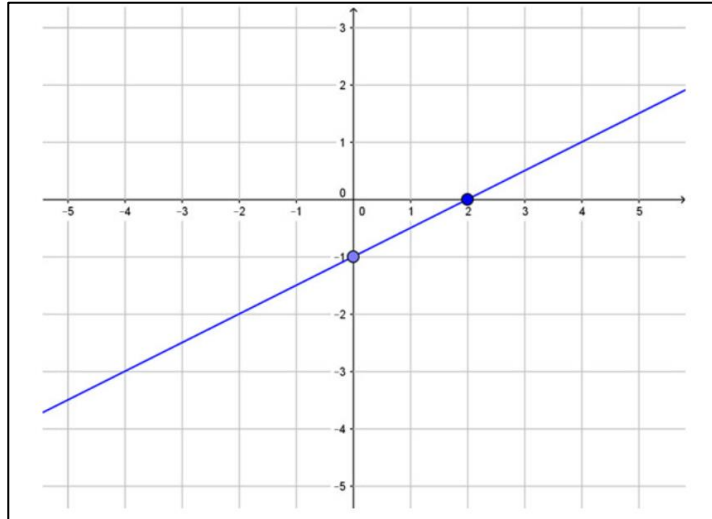
Which of the following equations represents the graph given?

A $-2x + y = -2$

B $2x + y = -2$

C $-x + 2y = -2$

D $x - 2y = -2$



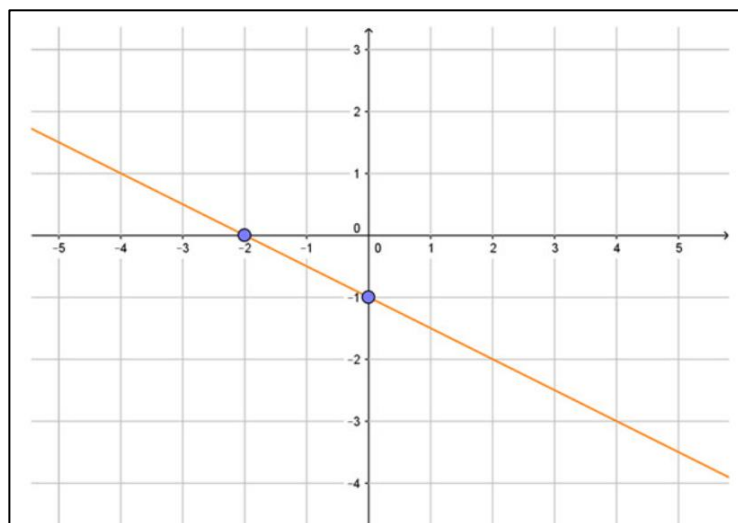
Which of the following equations represents the graph given?

A $-2x - y = -2$

B $2x - y = 2$

C $-x - 2y = -2$

D $-x - 2y = 2$



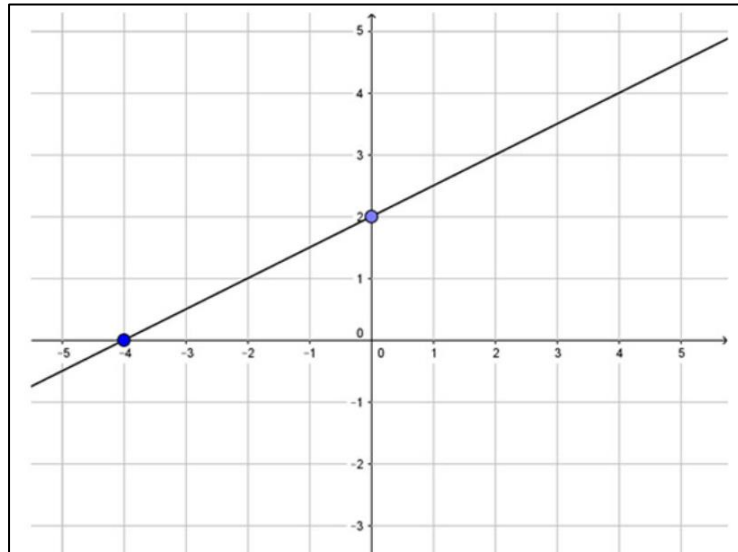
Which of the following equations represents the graph given?

A $x - 2y = 4$


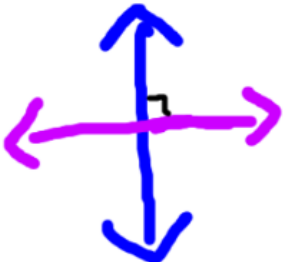
B $x - y = 2$

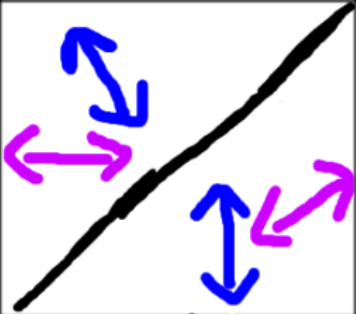
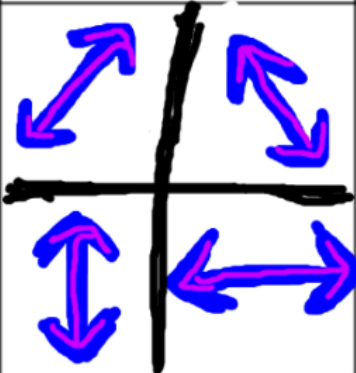
C $x - 2y = -4$

D $x - y = -2$



PARALLEL & PERPENDICULAR EQUATIONS NOTES

TYPE OF LINES	PICTURE	TYPE OF SLOPE	EXAMPLES
Parallel		Parallel lines have the same slope	$y=3x-1$ $y=3x+5$
Perpendicular		Perpendicular lines have negative reciprocal slopes (multiplied together = -1)	$y = \frac{2}{3}x + 7$ $y = -\frac{3}{2}x + 2$

TYPE OF LINES	PICTURE	TYPE OF SLOPE	EXAMPLES
Neither		lines are not parallel or perpendicular and they do not have the same y-intercept	$y=2x-2$ $y=-2x+2$ <hr/> $y = \frac{1}{4}x + 3$ $y = -\frac{1}{4}x + 2$
Same		Both slopes and y-intercepts are the same	$y = 7x+9$ $y = 7x+9$

Determine whether the lines are Parallel, Perpendicular or Neither

$$y = 4x - 2$$
$$y = -\frac{1}{4}x + 4$$

$$y = -\frac{1}{4}x - 1$$
$$y = -4x + 1$$

$$4y + 2x = 12$$
$$y = 2x - 17$$

$$y = -4x - 5$$
$$y = -4x + 5$$

$$-\frac{2}{3}x + 2y = -8$$
$$3y = x - 15$$

$$-6x + y = 1$$
$$-6x + 3y = -9$$

$$y = \frac{3}{5}x + 1$$
$$5y = 3x - 2$$

$$4x - 3y = 2$$
$$4y - 3x = 20$$

$$y = 2x - 2$$
$$y = -2x + 2$$

Write the equation of a line that is parallel to $y = 10x - 3$ and goes through the point $(1, 5)$.

Write the equation of a line that is perpendicular to $y = \frac{1}{3}x + 3$ and goes through the point $(-1, -2)$.

Write the equation of a line that is parallel to $y = -4x - 5$ and goes through the point $(0, -1)$.

Write the equation of a line that is perpendicular to $y = -\frac{5}{8}x$ and goes through the point $(-5, -3)$.

Write the equation of a line that is parallel to $y = \frac{1}{5}x - 3$ and goes through the point $(1, 1)$.

Write the equation of a line that is perpendicular to $y = -\frac{3}{2}x$ and goes through the point $(3, 5)$.

$(-4, -9), (1, -1),$
 $(-8, 10), (2, -6)$

$(-8, 3), (-12, -2),$
 $(-7, -3), (-2, -7)$

$(13, -9), (8, 1),$
 $(-10, 9), (-7, 3)$